

During useful life the reliability of a system or component is characterized by the exponential distribution. This distribution is unusual, in that the average and the standard deviation are the same value. The following identities apply:

Exponential Distribution

$$f(t) = (e^{-\lambda t}) \cdot \lambda$$

$$\text{Mean of the Exponential Distribution} = \mu = \frac{1}{\lambda}$$

Solution Text, page 99:

should be:

Step 1 = P(success if E is good) * (PE is good) =

If E is good



If E is bad



$$\begin{aligned} \text{Step 1} &= P_{(\text{success if E is bad})} P_{(\text{E is bad})} \\ &= [(R_A + R_C - R_A R_C)(R_B + R_D - R_B R_D)] [0.60] \\ &= [(0.8 + 0.8 - 0.64)(0.7 + 0.7 - 0.49)] [0.60] \\ &= [(0.96)(0.91)] [0.60] \end{aligned}$$

errata: Answer implies that II at bottom and III at right.

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should be $P(t < 2) = \dots$ [not $t < 200$]

Example 3.25: A random variable has the probability density function $f(x) = 0.125x$, where x is valid from 0 to 4. The probability of x being less than or equal to 2 is:

Solution:
$$P(t < 2) = \int_0^2 0.125x \, dx = \frac{0.125x^2}{2} \Big|_0^2 = 0.0625x^2 \Big|_0^2 = 0.25$$

Example 3.26: The time to fail for a component has the following probability density function:

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Example 3.41 (Continued): The probability of more than 2 successes is equal to one minus the probability of exactly zero successes minus the probability of exactly one success minus the probability of exactly two successes.

$$\begin{aligned} P(0,8,0.2) &= \binom{8}{0} 0.2^0 (1-0.2)^{8-0} = 0.1678 && \text{typos:} \\ P(1,8,0.2) &= \binom{8}{1} 0.2^1 (1-0.2)^{8-1} = 0.3355 && 0.2^1 \\ P(2,8,0.2) &= \binom{8}{2} 0.2^2 (1-0.2)^{8-2} = 0.2936 && 0.2^2 \end{aligned}$$

	-2.015	2.132	
<p>Step 3: Calculate the t statistic:</p> $t = \frac{\bar{X} - \mu_0}{s/\sqrt{n}}$	$t = \frac{0.0050 - 0.0055}{0.00048/\sqrt{6}}$ $t = -2.551$	$t = \frac{0.054 - 0.050}{0.056/\sqrt{5}}$ $t = 1.597$	$\frac{.054 - .050}{.056/\sqrt{5}}$
<p>Step 4: Can one reject the null hypothesis?</p>	<p>Since the value of calculated t is to the left of -2.015, the null hypothesis is rejected. The wear is less for the new plug design.</p>	<p>Since the value of calculated t (1.597) is not to the right of the critical t (2.132), the null hypothesis can't be rejected. Insufficient evidence exists for the new technique to be profitable.</p>	

Table 4.5 A Matrix Review of Two Student's t Tests

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3.10 should be 3.5
"multiplicative effects ..."

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Example 9.1 (Continued): A manually calculated beta, can be determined from the following equations:

$$\beta = \frac{\Delta y}{\Delta x}$$

Where:

$$\Delta x = \ln(t_2) - \ln(t_1)$$

$$\Delta y = \ln \ln \left(\frac{1}{1 - F(t_2)} \right) - \ln \ln \left(\frac{1}{1 - F(t_1)} \right)$$

For our sample calculation of β , we will choose 2000 cycles and 6000 cycles. The